



KU LEUVEN



Evaluation of predicted knee kinematics and ligament length changes by force-dependent kinematics in vitro

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Overview

- Motivation of our work
- Modelling workflow
- Results & discussion

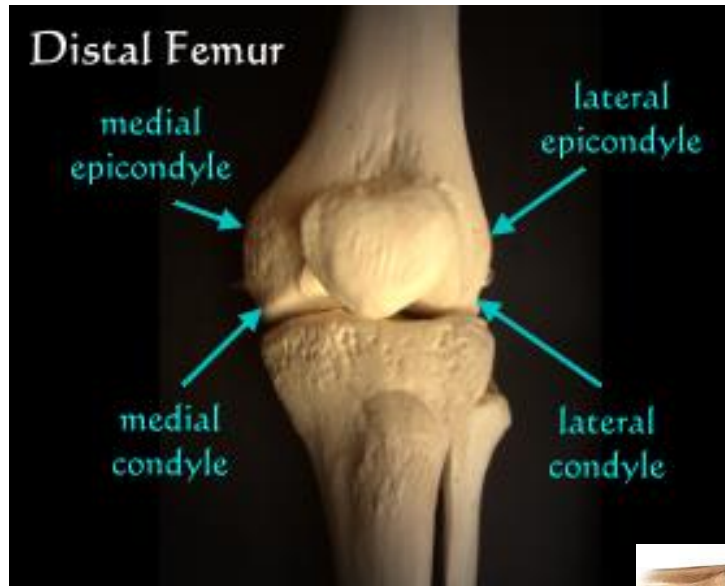


Two strategies to perform a total knee replacement

Measured resection

Using bony landmarks

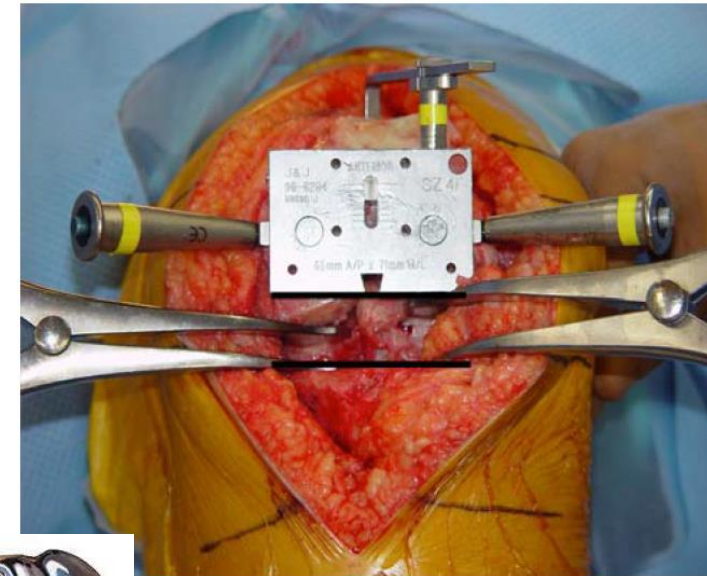
Pre-op planning already used



Gap balancing

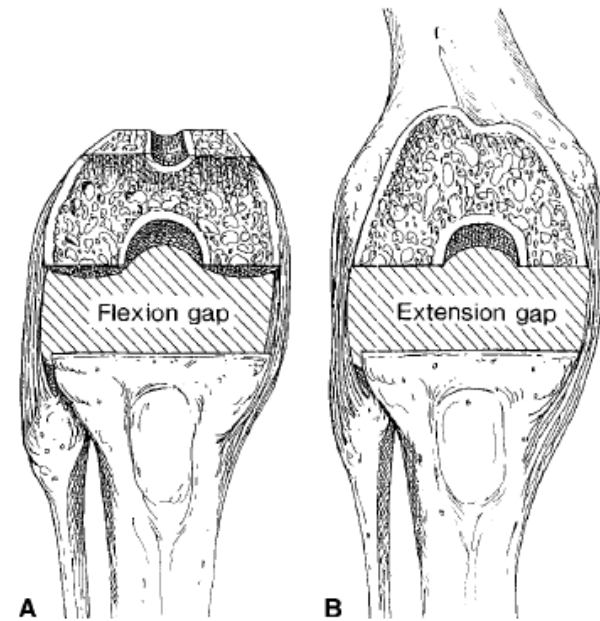
Using ligament tension in flexion

Surgeon expertise required

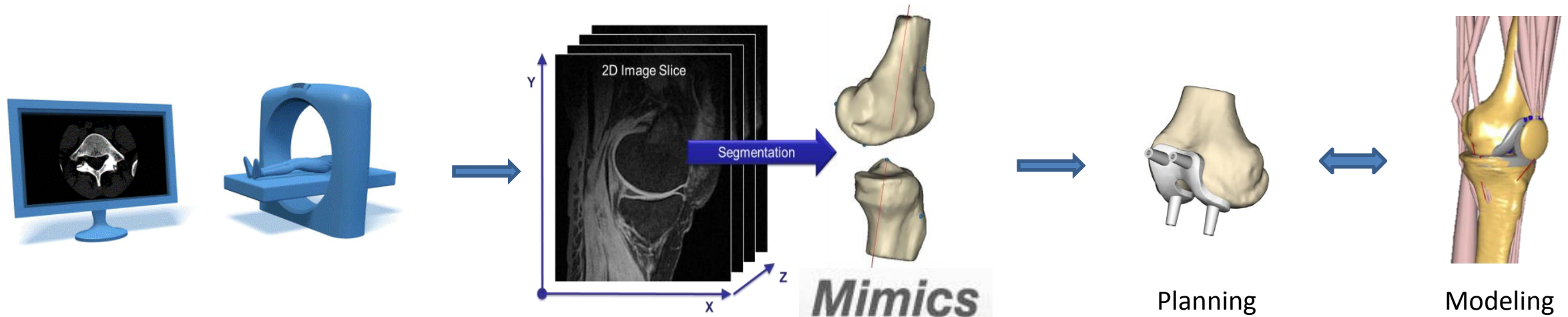


What is ideal balance?

- Not yet been defined
- Current consensus:
Equal **medial** and **lateral** structure tensions **at full extension** and **at 90° of flexion** are conducive with good clinical outcome
- Unnatural?
- Mid-flexion instability



Can subject-specific knee models assist in clinical decision-making?

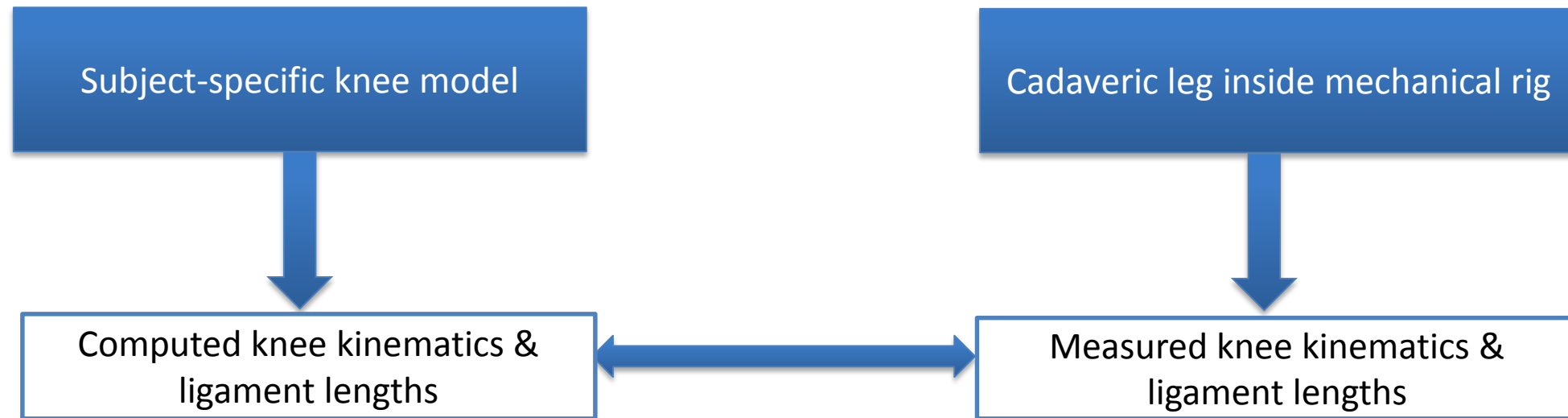


Aim: investigate if musculoskeletal models can be used to determine **optimal implant position** for gap-balanced total knee arthroplasty

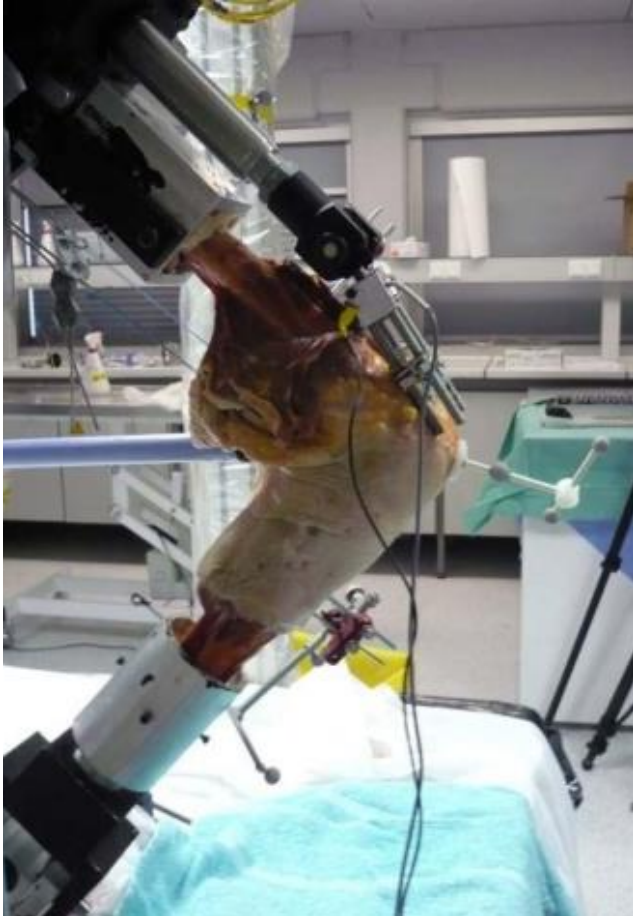
How: Pre-operative modelling of range of motion and ligament behaviour

Validation is essential to transfer numerical models into clinical practice

Experimental data from a cadaver was used to validate the model



Simulation of squat motion with the mechanical rig

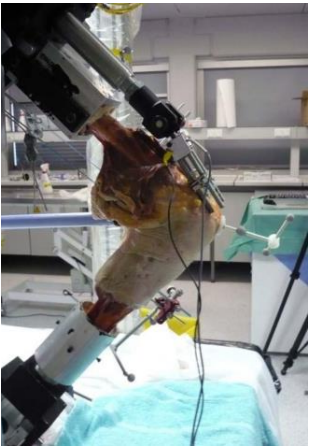


- **Intact** knee from a cadaver
- Simulation of deep knee bend with Oxford Rig:
 - 2 constant force springs load the hamstrings
 - Quadriceps actuator
 - Passive optical markers
 - Experimental knee kinematics
 - Experimental ligament lengths

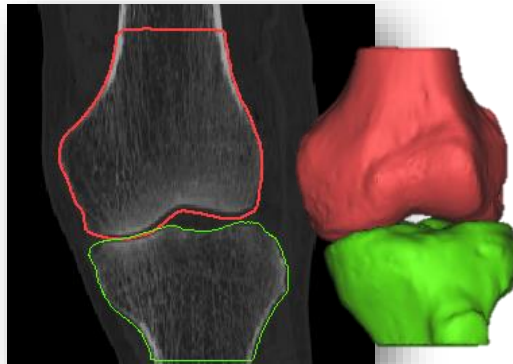
Modelling workflow

Kinematics

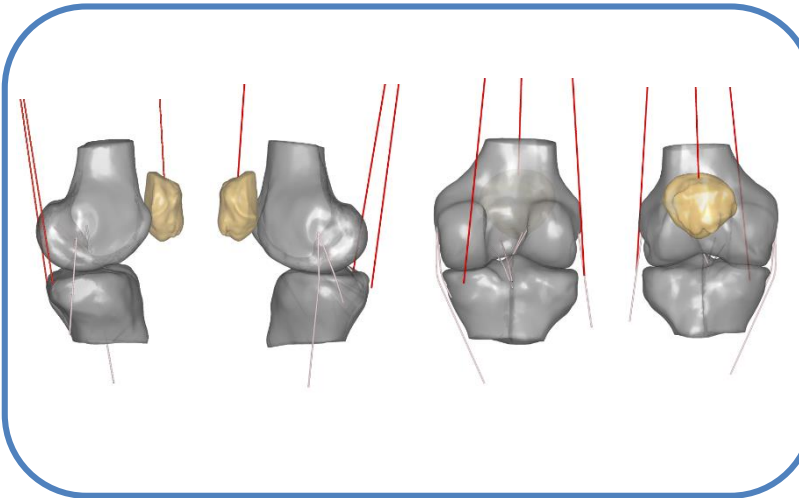
Geometry



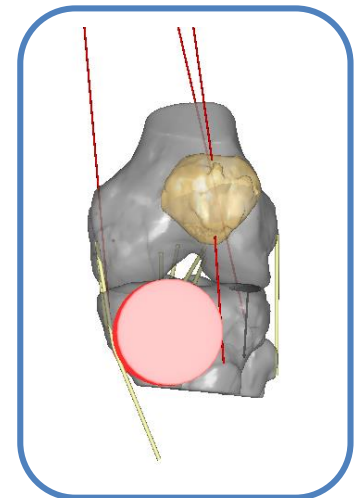
1 Oxford rig



2 Segmentation +
Cartilage estimation

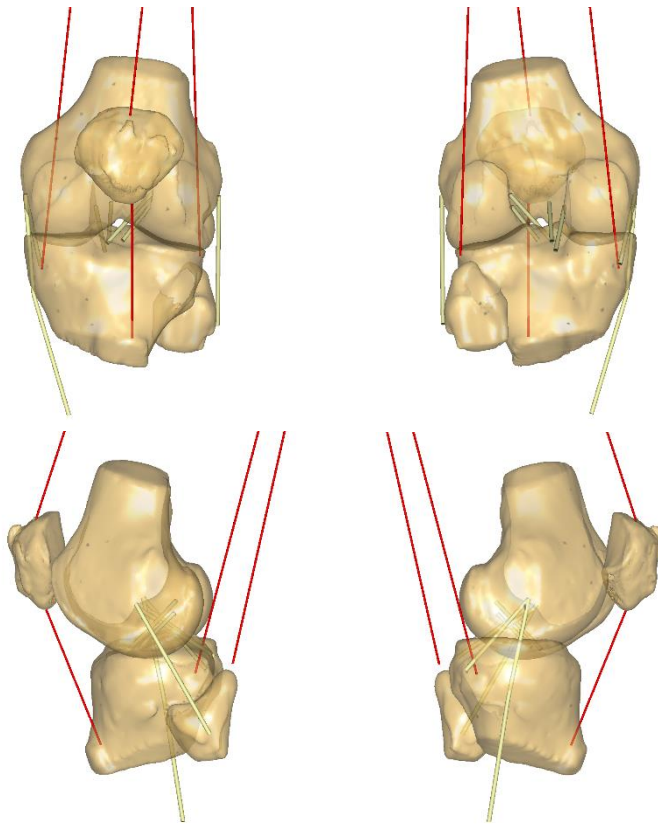


3 Landmarks determine:
- Joint axes
- Ligament attachments



4 Wrapping
surfaces

Modelling of the ligaments



- MCL distal and proximal
- LCL
- ACL anterior and posterior
- PCL anterior and posterior

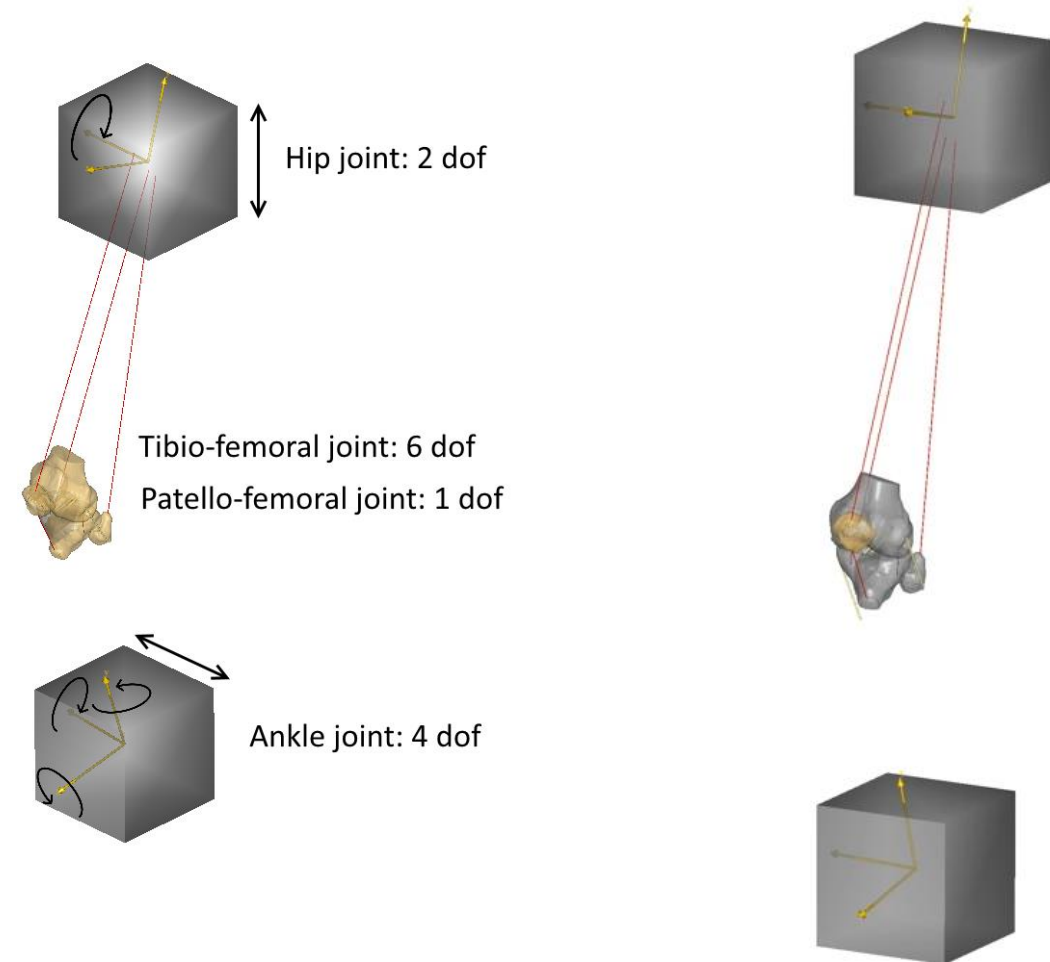
	MCLprox	MCLdist	LCL	ACL_AM	ACL_PL	PCL_AL	PCL_PM
ϵ_r	0.04	0.04	0.08	0.06	0.1	-0.24	-0.03
k	4125	4125	6000	5000	5000	9000	9000

$$L_0 = L_r / (\epsilon_r + 1)$$

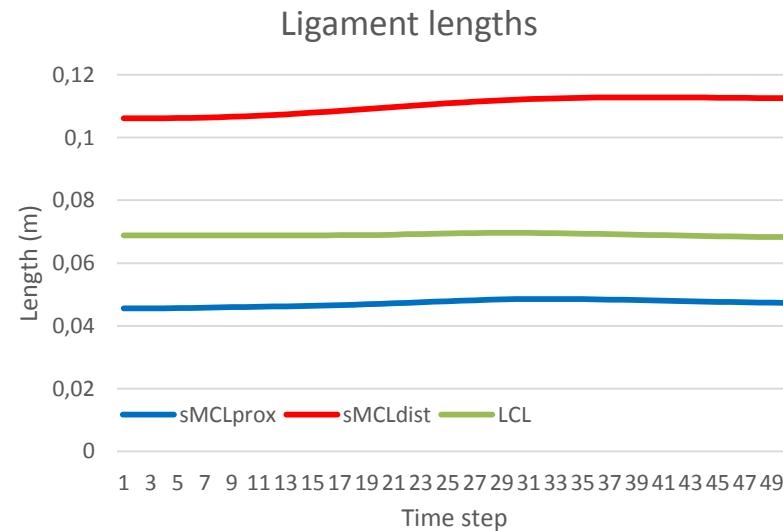
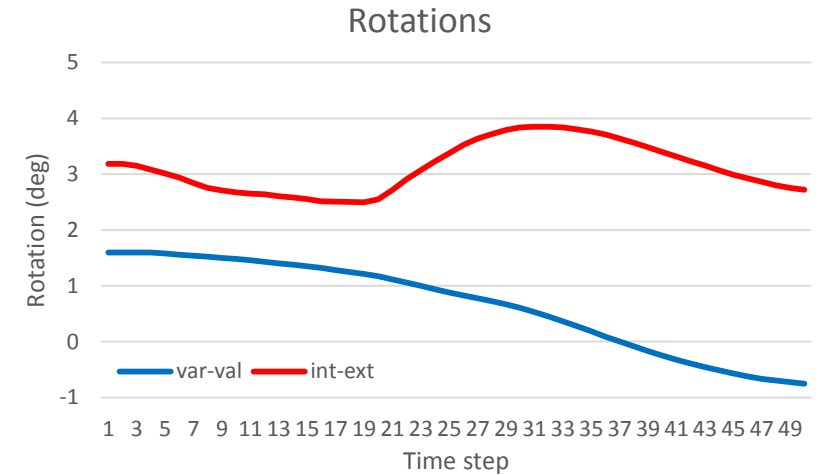
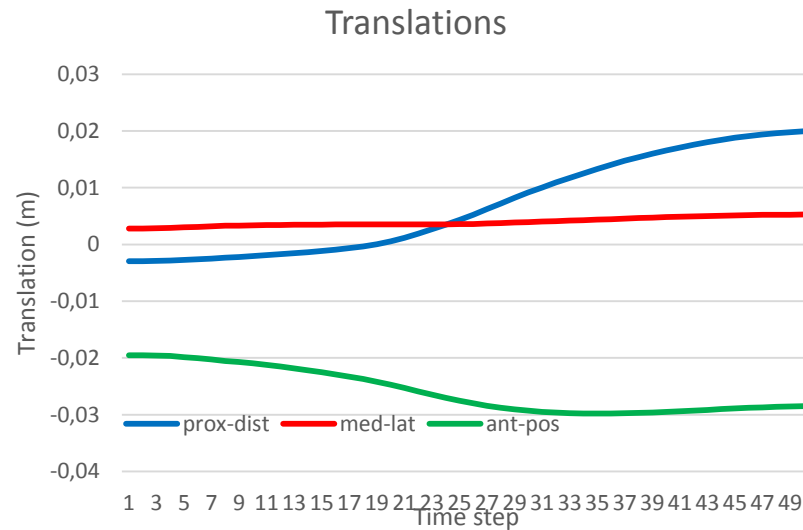
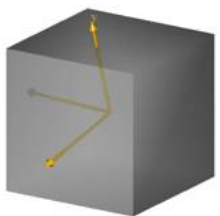
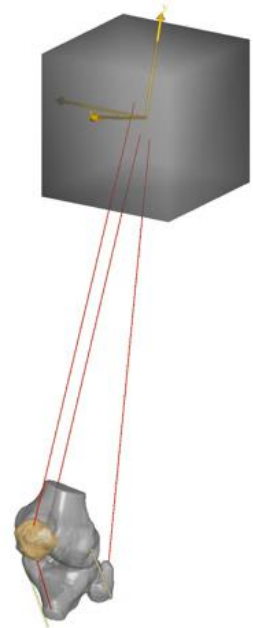
(Blankevoort and Huiskes, 1991)

Simulation in AnyBody Modeling System

- Force-dependent kinematics
 - Uses inverse dynamics and quasi-static force equilibrium in selected DOFs
- Driver: vertical hip position
- Simultaneously solves muscle, joint and ligament forces and internal joint motion



FDK computes simultaneously kinematics and ligament lengths



Grood and Suntay (1983)

Sensitivity study

- Variation of reference strain of one ligament bundle at a time
 - 7 ligament bundles
 - 4 perturbations: $\epsilon_r - 0.05$, $\epsilon_r - 0.025$, $\epsilon_r + 0.025$, $\epsilon_r + 0.05$
 - ϵ_r +/- 5% (Amiri & Wilson, 2012)
 - ϵ_r +/- 4% (Baldwin, 2009)
 - 28 perturbed simulations

	MCLprox	MCLdist	LCL	ACL_AM	ACL_PL	PCL_AL	PCL_PM
ϵ_r	0.04	0.04	0.08	0.06	0.1	-0.24	-0.03
k	4125	4125	6000	5000	5000	9000	9000

$$L_0 = L_r / (\epsilon_r + 1)$$

- Reported in literature to be a very sensitive parameter

Bloemker, K. H., Guess, T. M., Maletsky, L., Dodd, K., 2012. Computational knee ligament modeling using experimentally determined zero-load lengths. The open biomedical engineering journal 6, 33-41.

Beillas, P., Lee, S. W., Tashman, S., Yang, K. H., 2007. Sensitivity of the tibio-femoral response to finite element modeling parameters. Computer methods in biomechanics and biomedical engineering 10(3), 209-221.

How can you compare measured values with computed values?

- RMSE $\sqrt{\frac{\sum_{t=1}^n (\hat{y}_t - y_t)^2}{n}}$.
- Pearson correlation coefficient ρ
 $\rho \leq 0.35$ (weak); $0.35 < \rho \leq 0.67$ (moderate); $0.67 < \rho \leq 0.9$ (strong); $0.9 < \rho$ (excellent)
(Taylor, 1990)

- Sprague and Geers metric (Schwer, 2007)

$$\vartheta_{mm} = (t_2 - t_1)^{-1} \int_{t_1}^{t_2} m^2(t) dt$$

$$\vartheta_{cc} = (t_2 - t_1)^{-1} \int_{t_1}^{t_2} c^2(t) dt$$

$$\vartheta_{mc} = (t_2 - t_1)^{-1} \int_{t_1}^{t_2} m(t)c(t) dt$$

Personal reaction of Geers

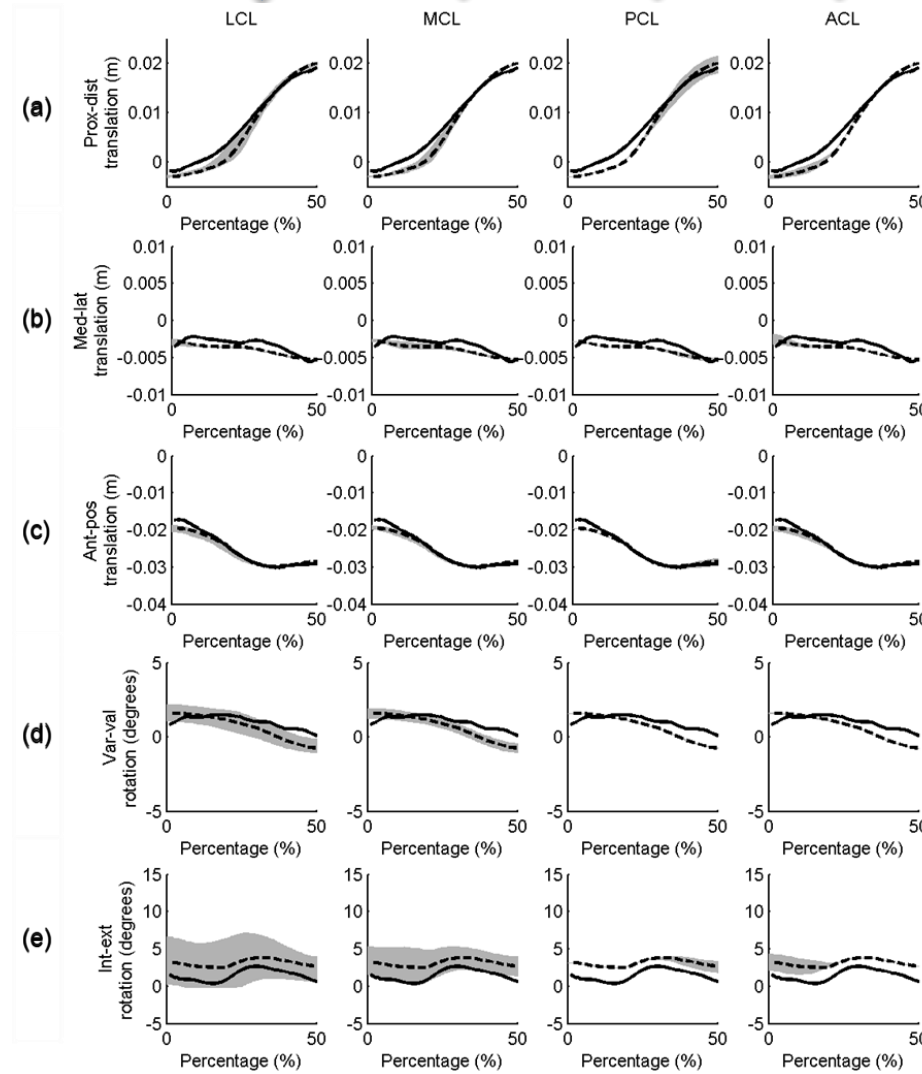
- <20%: really good
- 20-30%: fair
- 30-40%: rather poor

- Error in magnitude (insensitive to phase discrepancies): $M_{SG} = \sqrt{\vartheta_{cc}/\vartheta_{mm}} - 1$
- Phase error (insensitive to magnitude differences): $P = \frac{1}{\pi} \cos^{-1} \left(\vartheta_{mc} / \sqrt{\vartheta_{mm}\vartheta_{cc}} \right)$
- Comprehensive error Factor: $C_{SG} = \sqrt{M_{SG}^2 + P^2}$

Kinematic results first specimen



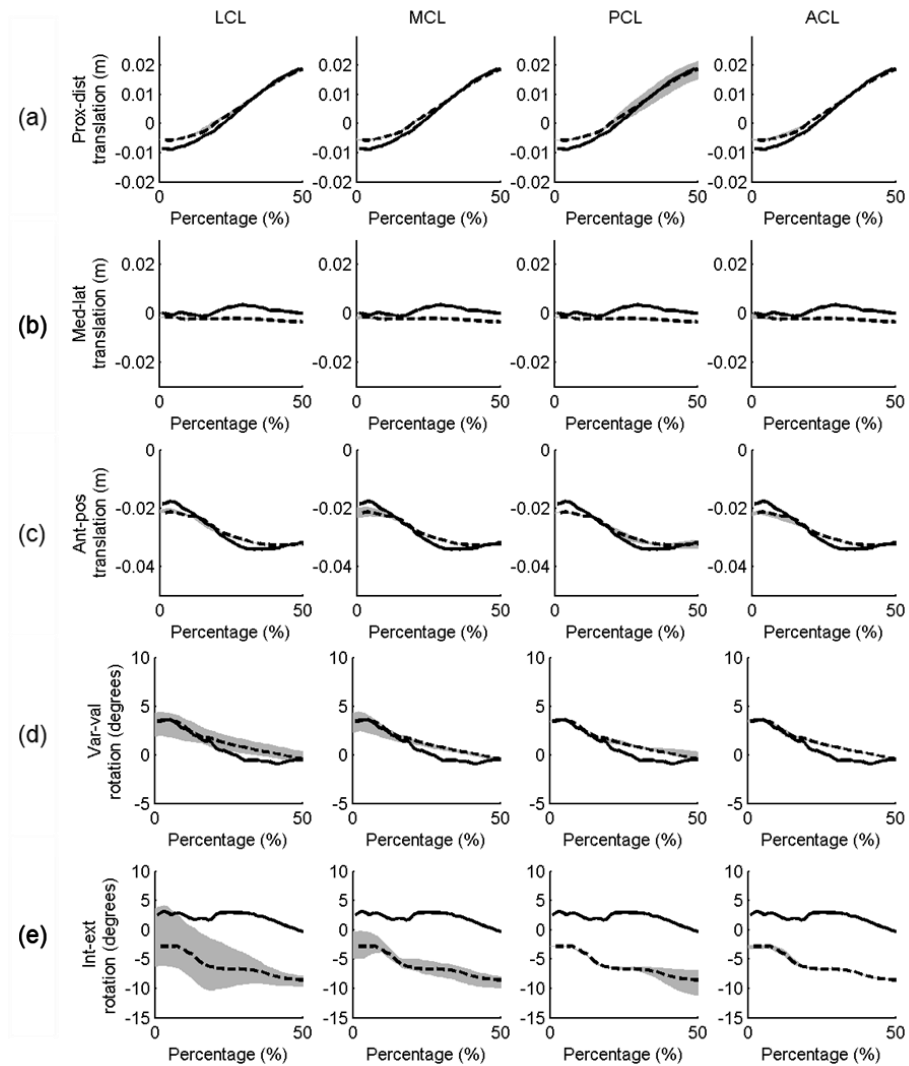
— exp
 - - - model
 ■ perturbations



RMSE	ρ
1,69 mm	100%
0,82 mm	87%
0,92 mm	100%
0,61°	89%
1,69°	97%

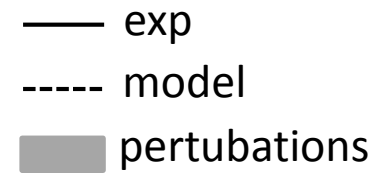
Kinematic results second specimen

— exp
 - - - model
 ■ perturbations

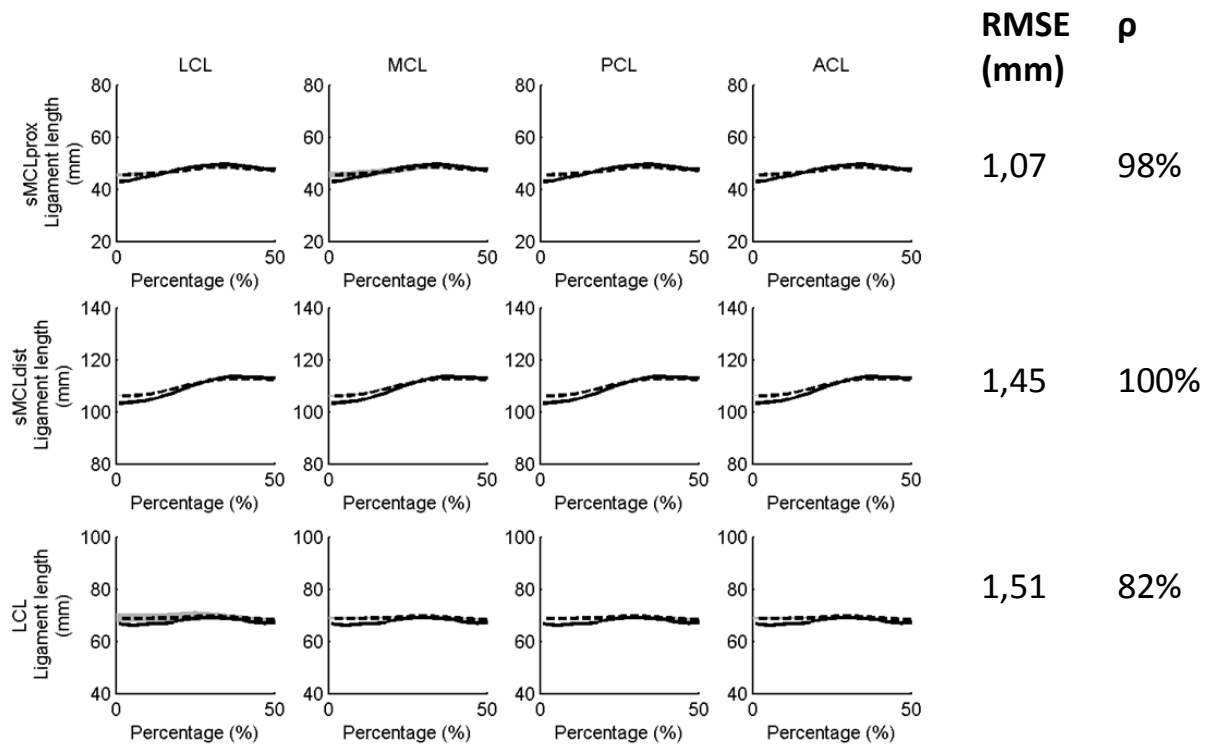


	RMSE	ρ
(a)	1,73 mm	100%
(b)	3,67 mm	-4%
(c)	1,85 mm	98%
(d)	0,73°	98%
(e)	8,31°	58%

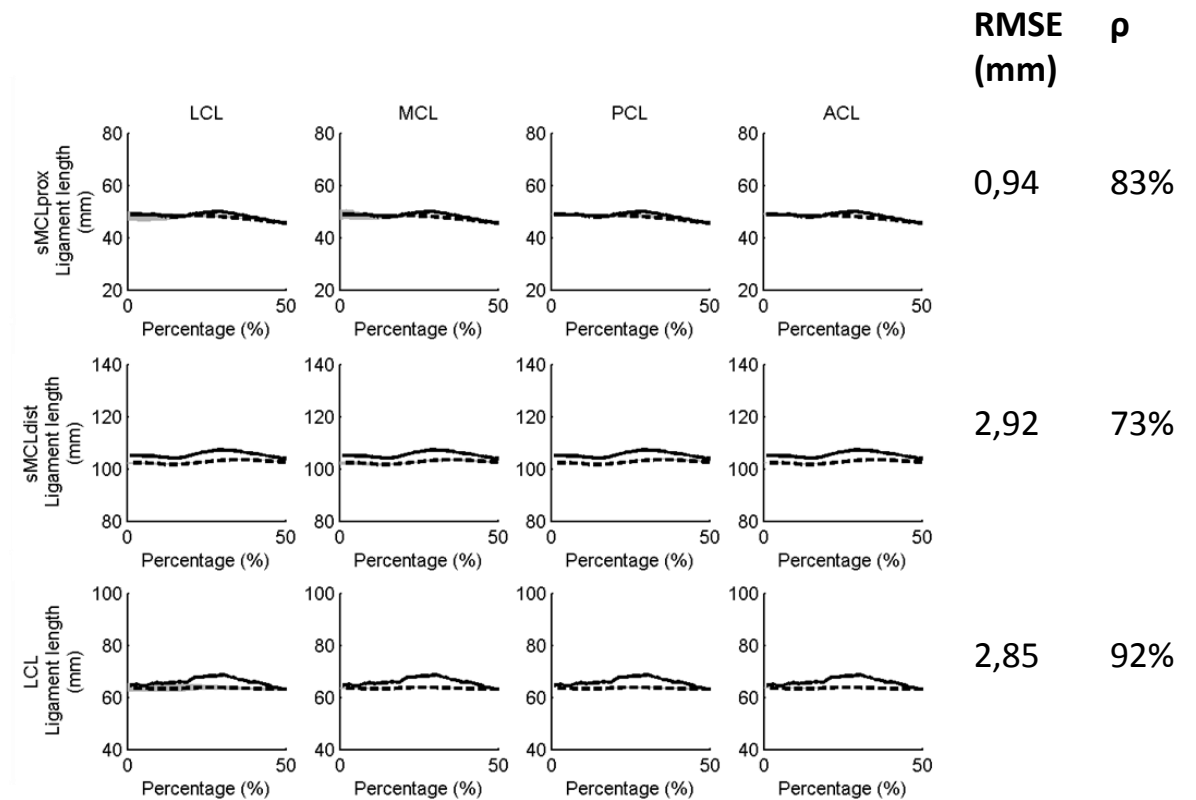
Ligament length changes



First specimen



Second specimen



Limitations

- Patella is represented as a simple hinge joint
- Estimated cartilage and no menisci
- Only 2 specimens

Lessons learned

- Translations show good agreement
- Rotations are more sensitive to model variations
- Importance of subject-specificity:
 - Slack length and insertions -> laxity test
 - Patella location -> FDK patella model

Thank you for your attention!

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